



$$\begin{aligned}
 \Sigma M_E^{\curvearrowright} &= (23'' * CA) + (49.19'' * -FB_Y) + (30.75'' * FB_X) + (14.50'' * -FD) = 0 \\
 (23'' * 3812.2\#) + (49.19'' * -2462.6\#) + (30.75'' * 3249.1\#) + (14.50'' * -FD) &= 0 \\
 68226''\# + (14.50'' * -FD) &= 0 \\
 -(14.50'' * -FD) &= -(14.50'' * -FD) \\
 \frac{66455.1''\#}{(14.50'')} &= \frac{(14.50'') * (-FD)}{(14.50'')} \\
 4583.1\# &= -FD
 \end{aligned}$$

$$\begin{aligned}
 \Sigma F_X^{\rightarrow} &= -FB_X + (CA * \cos 51^\circ) + (FD * \cos 3^\circ) + -FE_X = 0 \\
 -3249.1\# + (3812.2\# * \cos 51^\circ) + (4583.1\# * \cos 3^\circ) + -FE_X &= 0 \\
 3726.8\# - FE_X &= 0 \\
 -FE_X - FE_X &= -FE_X \\
 3726.8\# &= -FE_X
 \end{aligned}$$

$$\begin{aligned}
 \Sigma F_Y^{\uparrow} &= -FB_Y + (CA * \sin 51^\circ) + (FD * \sin 3^\circ) + FE_Y = 0 \\
 2426.6\# + (-3812.2\# * \sin 51^\circ) + (4583.1\# * \sin 3^\circ) + -FE_Y &= 0 \\
 294\# + -FE_Y &= 0 \\
 +FE_Y + FE_Y &= +FE_Y \\
 296.2 &= FE_Y
 \end{aligned}$$