



$$\sum M_B^{\circ} = (20.563'' * 500\#) + (4.0000'' * 850\#) + ((F_A * \cos 58.841^\circ) * (7.4375'')) = 0$$

$$13681.5''\# + ((F_A * \cos 58.841^\circ) * (7.4375'')) = 0$$

$$13681.5''\# + ((F_A * \cos 58.841^\circ) * (7.4375'')) = 0$$

$$-((F_A * \cos 58.841^\circ) * (7.4375'')) - ((F_A * \cos 58.841^\circ) * (7.4375''))$$

$$13681.5''\# = -((F_A * \cos 58.841^\circ) * (7.4375''))$$

$$\frac{13681.5''\#}{7.4375''} = \frac{-((F_A * \cos 58.841^\circ) * (7.4375''))}{7.4375''}$$

$$\frac{1839.5\#}{\cos 58.841^\circ} = \frac{-F_A * \cos 58.841^\circ}{\cos 58.841^\circ}$$

$$3535.8\# = -F_A$$

$$-3535.8\# = F_A$$

$$\sum F_X^{\rightarrow} = -850\# + (-3535.8\# * \cos 58.841^\circ) + F_{Bx} = 0$$

$$-2679.5\# + \frac{F_{Bx}}{-F_{Bx} - F_{Bx}}$$

$$-2679.5\# = -F_{Bx}$$

$$2679.5\# = F_{Bx}$$

$$\sum F_Y^{\uparrow} = -500\# + (+3535.8\# * \sin 58.841^\circ) - F_{By} = 0$$

$$-2525.7 - F_{By} = 0$$

$$+F_{By} + F_{By}$$

$$-2525.7 = F_{By}$$