

```
n=.; l=.; m=.; x=.; r=.;  $\theta$ =.;  $\phi$ =.;
```

```
 $\psi_{n,l,m}[r_, \theta_, \phi_] := R_{nl}[r] * Y_{lm}[\theta, \phi];$ 
```

```
 $R_{n,l}[r_] := a^{(-3/2)} * 2 / n^2 * \text{Sqrt}[(n-l-1)! / ((n+1)!)^3] * F_{nl}[2*r / (n*a)];$ 
```

```
 $F_{n,l}[x_] := x^l * \text{Exp}[-x/2] * (n+1)! \text{LaguerreL}[n-l-1, 2*l+1, x];$ 
```

```
 $Y_{l,m}[\theta_, \phi_] := \text{SphericalHarmonicY}[l, m, \theta, \phi];$ 
```

```
PreHydrogenRadialPlot[n_, l_] :=
```

```
Plot[Rnl[r] /. {a → 1}, {r, 0, 10 * (2 * n + 1) / 1.5}, PlotRange → All, Frame → True]
```

```
GetCoordsx[n_, l_] := AbsoluteOptions[PreHydrogenRadialPlot[n, l], PlotRange][[1, 2]][[1, 2]]
```

```
GetCoordsy[n_, l_] := AbsoluteOptions[PreHydrogenRadialPlot[n, l], PlotRange][[1, 2]][[2, 2]]
```

```
In[192]:= HydrogenDensityPlot[n_, l_, m_] := (DensityPlot[
  Evaluate[Conjugate[ $\psi_{nlm}[r, \theta, \phi]$ ] *  $\psi_{nlm}[r, \theta, \phi]$  /. {a → 1, r → Sqrt[x^2 + z^2],  $\theta$  → ArcCos[z / r]}],
  {x, -10 * (1.5 * n + 1) / 2, 10 * (1.5 * n + 1) / 2}, {z, -10 * (1.5 * n + 1) / 2, 10 * (1.5 * n + 1) / 2},
  Mesh → False, PlotPoints → 150, FrameLabel → None, ImageSize → 75, FrameTicks → None,
  ColorFunction → "GrayTones", AlignmentPoint → {10 * (1.5 * n + 1) / 2, 10 * (1.5 * n + 1) / 2}])
```

```
HydrogenRadialPlot[n_, l_, m_] := Plot[Rnl[r] /. {a → 1}, {r, 0, 10 * (2 * n + 1) / 1.5},
```

```
PlotRange → All, PlotPoints → 100, PlotLabel → {n, l, m}, PlotStyle → {Black, Thick},
```

```
Epilog → Inset[HydrogenDensityPlot[n, l, m], {GetCoordsx[n, l], GetCoordsy[n, l]}],
```

```
Frame → True, FrameTicks → None, FrameLabel → {"r", "Rnl[r]}"]
```

```
HydrogenRadialPlot[4, 3, 0]
```

