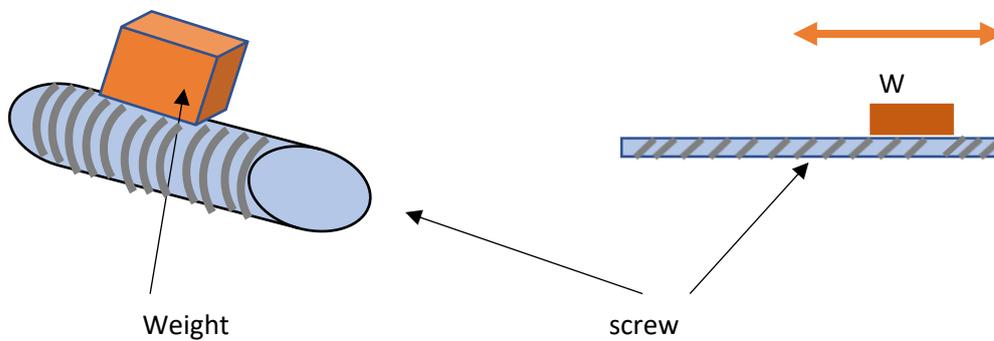


The orange part don't rotate around the screw .  
it's moved only at axis X . The screw attracts and reject it  
How do I calculate the moment inertia .when the system is this (#1) ?

2



The weight moves along the X axis it's don't rotate with the screw

The system moment inertia is :  $J_t = J_{screw} + J_{weight}$

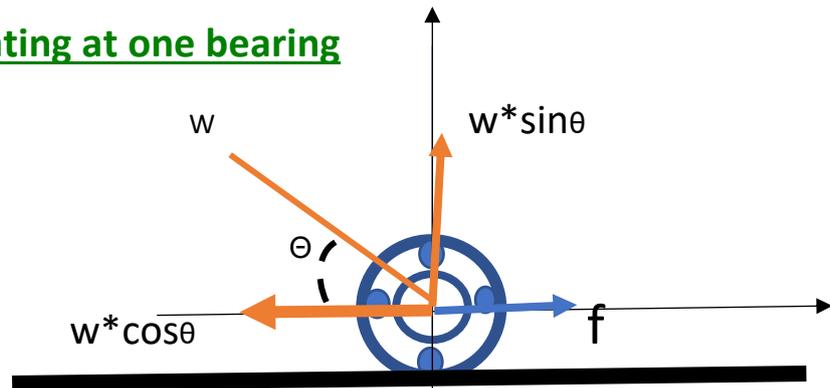
$J_{screw}$  from datasheet

$$J_{weight} = m \cdot (L / (2 \cdot \pi))^2$$

w= weight [ Kg ]

L= lead screw [m] from datasheet

## Diagram of forces operating at one bearing



$V_{pk} = 3S/(2t) = 0.0375 \text{ m/sec}$	(peak linear velocity)
$W = 5 \text{ kg}$	(weight)
$m = 5(\text{Kg}) * 9.81(\text{m/sec}^2) = 50\text{N}$	(mass)
$\mu = 0.15 - 0.09$	(friction coefficient)
$L_{screw} = 0.0127 \text{ m}$	(LENGTH lead screw 1 ONE REVOLUTION)
$\omega_1 = 200.0000 \text{ rev/min}$	(screw angular velocity)
$\omega_2 = \omega_1 * 2 * \pi / 60 = 20.9440 \text{ rev/sec}$	
$t_1 = 2.6667 \text{ sec}$	(acceleration time)
$a = V_{pk} / t_1 = 0.0141 \text{ m/sec}^2$	(linear acceleration)
$\alpha = a * 2 * \pi / L_{screw} = 6.9573 \text{ rev/sec}^2$	(angular acceleration)

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$$\sum F_y = 0 \quad w * \sin\theta * g = N$$

$$\sum F_x = m * a \quad w * \cos\theta - f = ma$$

$$f = \mu * N = \mu * w * \sin\theta * g$$

$$w * \cos\theta - \mu * W * \sin\theta * g = ma$$

$$w * \cos\theta = m * a + W * g * \mu * \sin\theta = 50 * a + 50 * 0.1 * \sin\theta$$

**" w \* cosθ "** Is it the weight component that the power screw feels

And the total inertia is :

$$J_t = J_{screw} + J_{weight} = J_{screw} + (w * \underline{\cos\theta} * L_{screw} / (2 * \pi)) = J_t$$